MARTIN Has Its Place: A Macroeconometric Model of the Australian Economy

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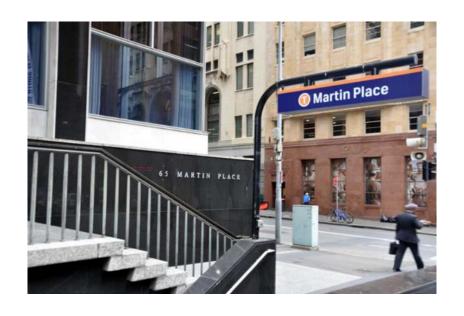
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Modelling at the RBA

- Modelling framework prior to 2016
 - Multi-sector DSGE model
 - Single-equation forecasting models

- Pagan & Wilcox forecasting review 2016
 - Replicate analysts' models / thinking as closely as possible
 - Improve our understanding of how forecasts fit together
 - Produce scenarios to quantify risks
 - Extend forecasts beyond usual 2-to-3-year horizon
 - Complement existing forecast procedures

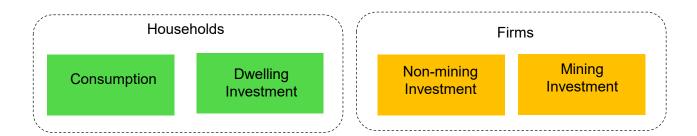
Who is MARTIN?

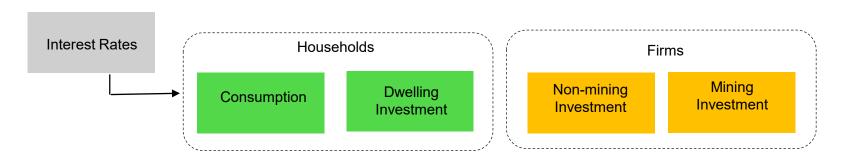


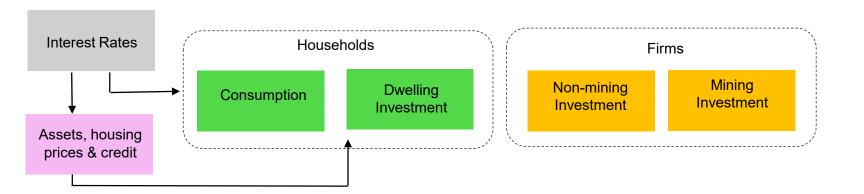
MAcroeconomic
Relationships for
Targeting
INflation

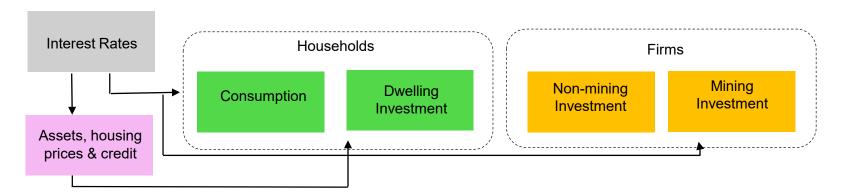
What is MARTIN?

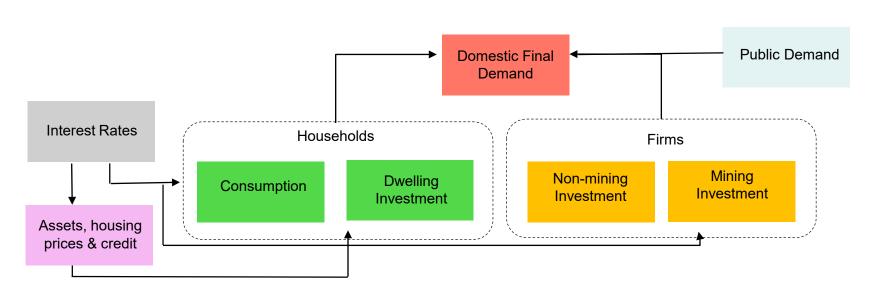
- Old-style reduced-form macroeconometric model
 - Flexible; fits data; advocated by Blanchard and Wren-Lewis
 - Equations are not structural
- Features over 30 behavioural equations for:
 - Expenditure-side of national accounts, labour market, inflation, cash rate and exchange rates
- Model estimation
 - Error-correction framework
 - Estimated equation-by-equation
 - Calibration of some parameters
 - Estimation period varies for each equation

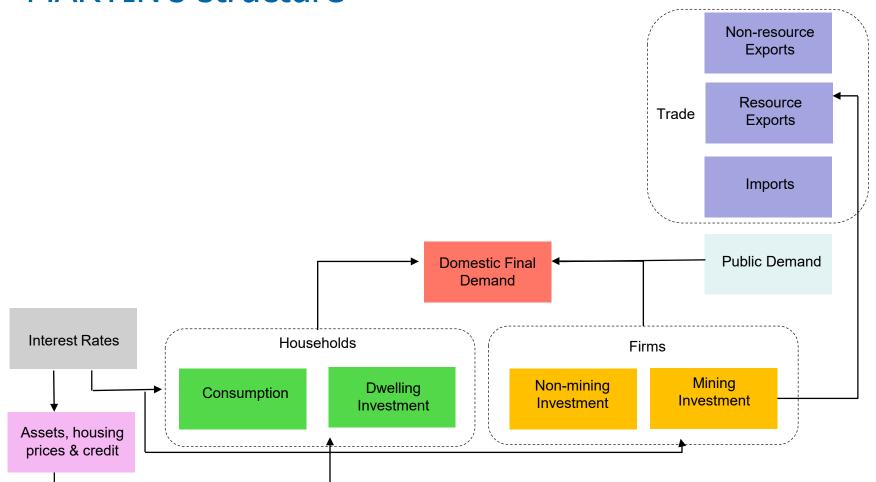


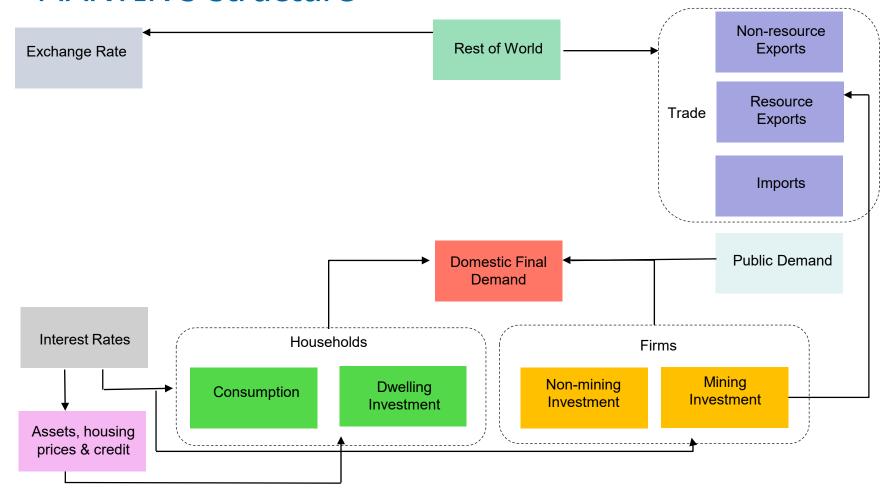


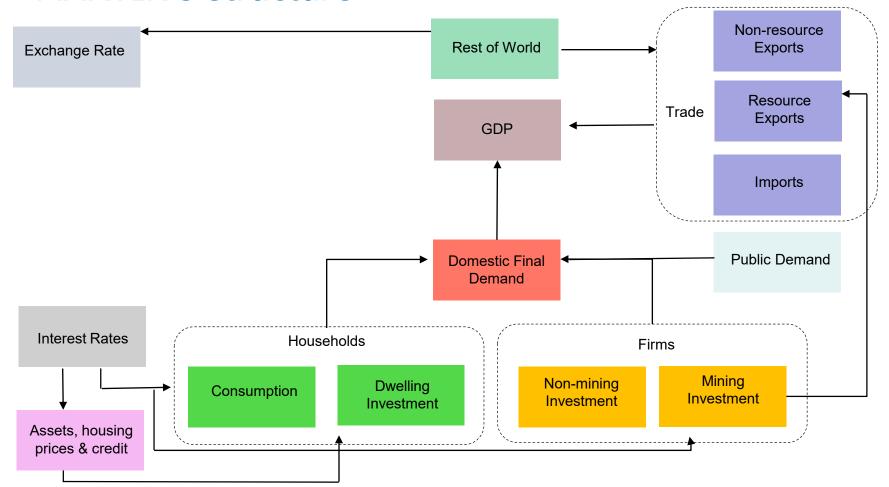


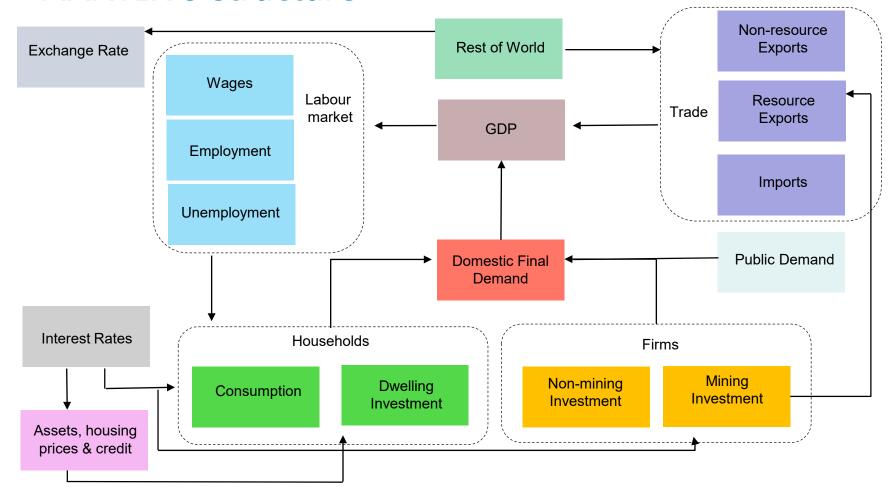


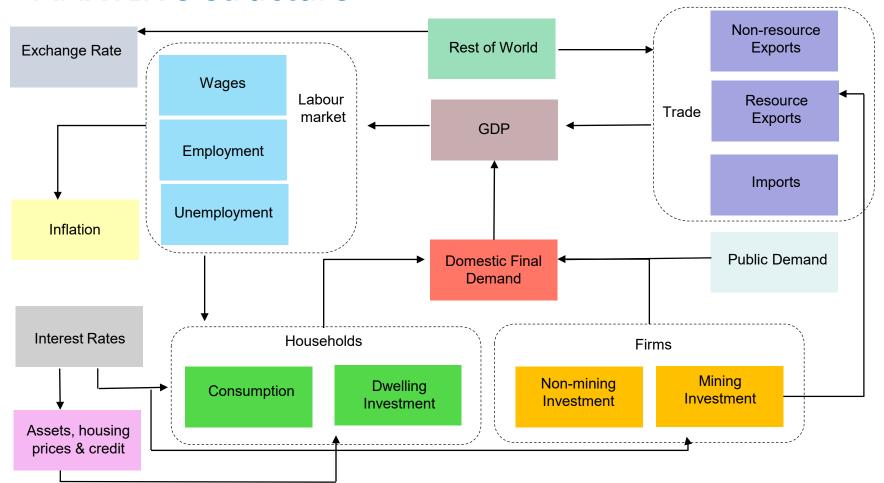


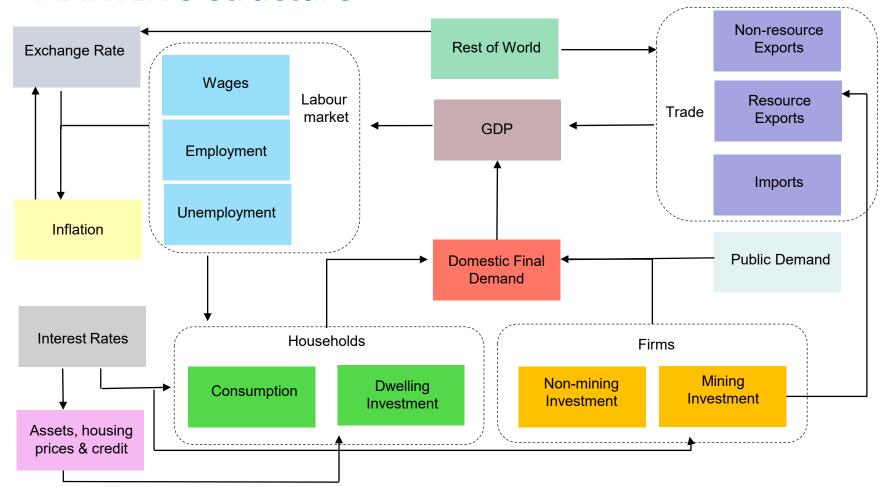


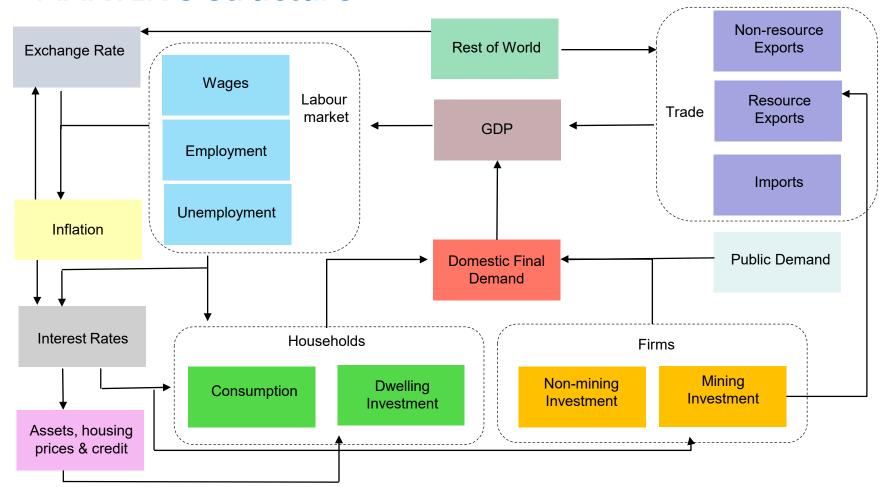












Additional model details

- Exogenous supply side 'trend' variables
 - Latent' variables, such as NAIRU, potential growth, trend productivity
 - Estimated using variety of state-space / filtering methods
 - Consistency with other forecasting teams important
- Limitations
 - Expectations
 - Limited treatment; exogenous inflation expectations
 - Some success incorporating a satellite VAR expectations model
 - No standalone financial sector
 - Limited coverage of GDP(I) variables
 - External and public sector balances not modelled

What do the equations look like?

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Example: Dwelling investment

subject to:

$$C_t = (C_t^H)^{\alpha} (C_t^{NH})^{1-\alpha}$$

$$C_t P_t = C_t^H P_t^H + C_t^{NH} P_t^{NH}$$

$$\Rightarrow C_t^H = \alpha C_t \left(\frac{P_t^H}{P_t} \right)^{-1}$$

$$C_t^H \propto K_t^H \propto I^D$$

$$\frac{\overline{I^D}}{C} = \kappa \left(\frac{\overline{P^H}}{P}\right)^{-1}$$

And suppose:

Then:

Dwelling Investment-to-Consumption Ratio % %

Sources: ABS; RBA

What do the equations look like?

Dwelling investment error correction equation in MARTIN:

$$\Delta i_t^D = \alpha_0 - \gamma \left(\underbrace{i_{t-1}^D - c_{t-1} + p_{t-1}^{ID} - pc_{t-1}}_{\text{Long run from theory}} - \beta RMR_t\right)$$

$$+ \underbrace{f(\Delta h p_t, \Delta NMR_t, \mu_t)}_{\text{Short run empirically determined}} + \varepsilon_t$$

What if theory doesn't work?

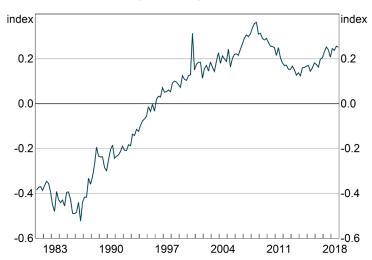
Example: Services Exports

$$X_t^s = \alpha \left(\frac{P_t^{xs*}}{P_t^*}\right)^{-\eta} Y_t^*$$

This provides a very poor fit for the data!

What's going on?

Services Exports Equation Residual*



* Residuals from long-run equation: log(xs)=µ+y*-0.4*log(RTWI)+error Sources: ABS: RBA

Solution: Time-varying parameters

Suppose:

$$\begin{split} \Delta x s_t &= \alpha_t - \gamma (x s_{t-1} - y_{t-1}^* + \eta (p_{t-1}^{xs*} - p_{t-1}^*)) + f(.) + \varepsilon_t \\ \alpha_t &= \alpha_{t-1} + u_t \end{split}$$
 Services Exports

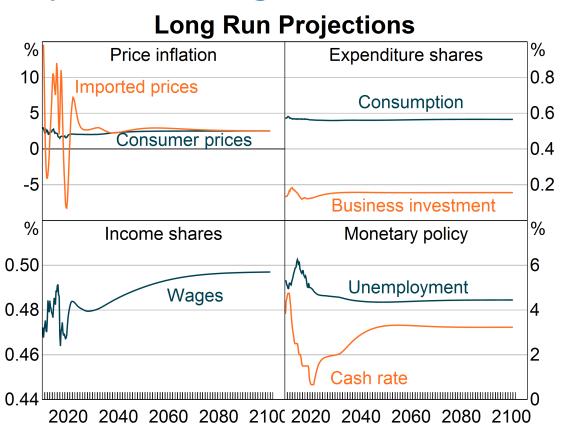
%

No.

Time-varying Constant Equilibrium Error 1.50 0.10 This works better 1.45 0.05 1.40 0.00 -0.05 1998 2018 1998 2018

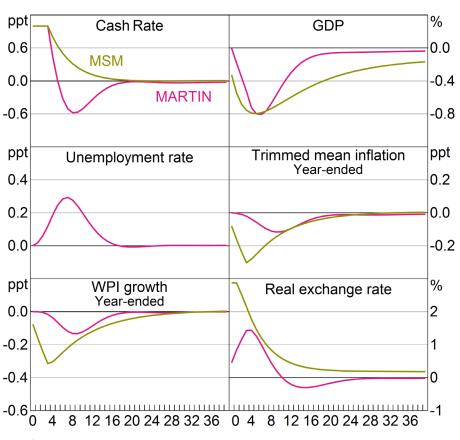
Source: RBA

Model properties: Long run



Source: RBA

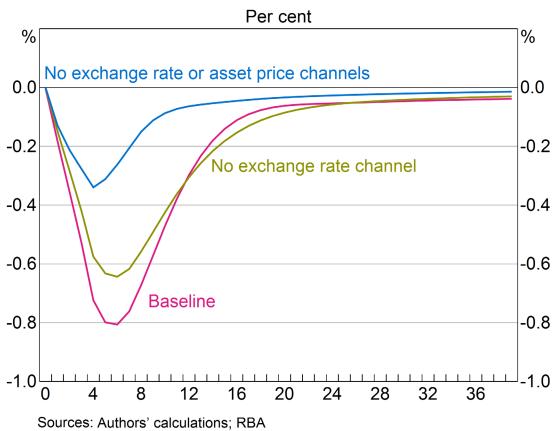
Scenario: Monetary policy shock



Sources: Authors' calculations; RBA

Scenario: Monetary policy shock

Gross Domestic Product



Conclusion

- Developed new macroeconometric model for forecasting and scenario analysis
- More closely aligned with staff forecasting models
- Ongoing development